## LOAN PAYMENTS

P = amount borrow (loan principal)

PMT = regular payment amount

APR = annual percentage rate

(in decimal form if doing calculations by hand)

n = number of payments per year

Y = loan term in years

Formula	Example	Using TVM Solver (TI-83:FINANCE; TI-83+ TI-84: A PPS)	
Loan Payment (Installment loans) Also to pay off a credit card balance	You have student loans totaling \$8,500 when you graduate from Northern Arizona	(1) Press 2nd $x^{-T}$ (FINANCE) or APPS (2) Choose 1: TVM Solver	
over a period of time.	University. The APR is 8.5% and the loan term is 10 years.	(2) Choose 1. If Vivi Solver (3) Enter N = $12 \times 10 = 120$	
$P \times \left(\frac{APR}{n}\right)$		PV = -8.5 PV = -8500 (calculator considers this an outflow of each)	
$PMT = \frac{(n)}{\left[1 - \left(1 + \frac{APR}{n}\right)^{(-n \times Y)}\right]}$	$PMT = \frac{8500 \times \left(\frac{.085}{12}\right)}{\left[1 - \left(1 + \frac{.085}{12}\right)^{(-12 \times 10)}\right]} = \$105.39$	PMT = 0 $EV = 0$	
		P/Y = 12 (number of payments per year) C/Y = 12 (number of compounding periods	
		per year) PMT = highlight END for end of month	
		deposits (4) Arrow up to PMT since we are looking for the	
	Total payment over the lifetime of the loan =	(4) Allow up to FWT since we are looking for the monthly payment (5) Press ALPHA ENTER (SOLVE)	
	$\frac{\$105.39}{\$105.39} \times \frac{12 \text{ months}}{\$10 \text{ years}} \times 10 \text{ years} = \$12,646.80$	• $PMT = $105.39$	
	month year	Total interest using the TVM Solver.	
		(7) Press 2nd $x^{-1}$ (FINANCE) or APPS (2) Choose A: $\Sigma$ Int(	
	Total interest paid = Total payment – Loan principal = \$12,646.80 – \$8,500.00 = \$4,146.80	(9) Enter: 1,120) then press ENTER	
		Total interest = $$4,146.54$	
		to the rounding in those calculations)	

## LOAN PAYMENTS (continued)

Principal and interest payment portions change as the loan is paid down	End of	Interest (decrease) = $\frac{APR}{12} \times balance$ = $\frac{.085}{12} \times balance$	Payment toward principal (increase) = PMT – Interest	New principal = previous month's principal – payment toward principal
	Month 1	$\frac{.085}{12} \times \$8,500 = \$60.21$	\$105.39 - \$60.21 = \$45.18	\$8,500 - \$45.18 = \$8,454.82
	Month 2	$\frac{.085}{12} \times \$8,454.82 = \$59.89$	\$105.39 - \$59.89 = \$45.50	\$8,454.82 - \$45.50 = \$8,409.32
	Month 3	$\frac{.085}{12} \times \$8,409.32 = \$59.57$	\$105.39 - \$59.57 = \$45.82	\$8,409.32 - \$45.82 = \$8,363.50